MMF-TSP: A Multimodal Fusion Network for Time Series Prediction Using Textual and Numerical Data

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This paper introduces an innovative multimodal fusion network architecture, namely MMF-TSP (Multimodal Fusion for Time Series Prediction). The architecture consists of four key components: textual data encoding, textual feature fusion, numerical data encoding, and multimodal feature fusion. Advanced techniques such as BERT for text processing, Temporal Convolutional Networks (TCNs) for handling numerical sequences, a global attention mechanism, and jump connections are employed to facilitate effective feature extraction and integration.The experimental results, using the electricity demand sequence dataset from California, USA, demonstrate the superiority of the proposed model. Compared with the BERT + LSTM model, our MMF-TSP model reduces RMSE by 6.32% (from 1012 to 948), improves R by 2.47% (from 0.851 to 0.872), and improves R - Squared by 4.97% (from 0.851 to 0.760), and reduces MAPE by 6.67% (from 0.045 to 0.042). On additional datasets including traffic flow data from New York City and weather forecasting coupled with energy consumption data from the UK, the MMF-TSP model also shows advantages. For example, in the New York City traffic flow data, compared to BERT+LSTM, it reduces RMSE by 4.8% (from 1040 to 990), increases R by 1.3% (from 0.821 to 0.834), and improves R - Squared by 2.1% (from 0.674 to 0.695), and decreases MAPE by 6.25% (from 0.048 to 0.045). This architecture thus presents a promising new tool and platform for the deep analysis and broad application of multimodal data.

Povzetek: Razvita je arhitektura MMF-TSP za časovno napovedovanje, ki s kombinacijo BERT, TCN in pozornosti učinkovito združuje besedilne in numerične podatke ter izboljša kvaliteto napovedi.

1 Introduction

Time series forecasting, as an important data analysis tool, is centered on the accurate prediction of a specific moment or time period in the future based on the trends and patterns in historical data. Through in-depth time series prediction analysis, people can gain insight into the internal logic of the dynamic evolution of data, identify and avoid potential risks in a forward-looking manner, and scientifically and rationally formulate and optimize various decisions and strategies, thus enhancing the overall operational efficiency and socio-economic benefits [1].

The Temporal Prediction Model for Multimodal Fusion Data is an advanced analytical tool whose core goal is to integrate multiple information from different sources and types, such as text, images, audio, video, and sensor recordings, and to accurately predict an event or state at a point in time in the future based on these heterogeneous data. First, through the heterogeneous data integration stage, the data in various original formats are preprocessed and transformed into a unified structure, which facilitates MMF-TSP to be able to effectively fuse and analyze the information of multiple modalities. Second, in the multimodal feature extraction stage, deep learning techniques, such as convolutional neural network (CNN), recurrent neural network (RNN), and long-short-term memory network (LSTM), are used to extract key features in the time series according to the uniqueness of each modality. Finally, in cross-modal interaction modeling, various advanced cross-modal fusion techniques, such as bilinear mapping and attention mechanism, are used to reveal the deep-seated correlations and complementary effects among different modalities, and then a joint representation that can comprehensively reflect the characteristics of all modalities is constructed.

With the rapid changes in information technology and the advent of the big data era, the sources and types of time series data present unprecedented richness and complexity. These multimodal data reveal the unique attributes and valuable information of time series from different perspectives and dimensions, which provide strong support for improving forecasting accuracy and reliability. However, multimodal data also bring significant challenges, such as heterogeneity, incompleteness, inconsistency, and noise interference among data [2]. In response to the above problems, multimodal fusion technology has emerged, aiming at organically integrating and coordinating the processing of multivariate data from different sources and types through a series of effective methods and technical means, mining and utilizing the correlation and complementary effects among modal data, and then constructing a unified and complete data representation framework. The core objective of multimodal fusion is to deeply explore and

fully utilize the intrinsic value potential of various types of modal data, to enhance the quality and expressiveness of data, to strengthen the interpretability and credibility of data, and to improve the predictive performance and generalization ability of models to some extent [3]. This study aims to design a set of innovative multimodal fusion network architectures for efficient fusion processing of textual and numerical data. The significance of this research is reflected in the fact that, on the one hand, it provides a brand new theoretical idea and practical method for carrying out time series forecasting in a multimodal data environment. On the other hand, it also builds a potential new tool and platform for the in-depth analysis and wide application of multimodal data [4].

The innovations of this paper are as follows: (1) A novel multimodal fusion network architecture (MMF-TSP) is designed, which integrates four key links: text data coding, text feature fusion, numerical data coding and multimodal feature fusion, and provides a systematic solution for multimodal time series prediction. (2) BERT model is innovatively applied to text data coding, and its powerful semantic understanding ability is used to extract text features. Combined with TCN (Time Convolutional Network) to process numerical data, this combination method effectively integrates deep learning and natural language processing technology, and improves the depth and breadth of feature extraction. (3) Global attention mechanism is introduced in the text feature fusion stage, which can automatically weigh the importance of different text features, extract the most relevant and valuable feature representation from multi-source text information, and enhance the sensitivity and utilization efficiency of MMF-TSP to text information.

The research objectives need to be more explicitly stated. The overarching goal of this study is to develop an innovative multimodal fusion network architecture for time series prediction. To be more specific, we aim to answer the following research questions: Can multimodal fusion significantly improve the accuracy of time series prediction compared to unimodal methods? For example, we hypothesize that, on average, multimodal fusion can enhance the prediction accuracy by at least 10% (X = 10) in terms of RMSE. This hypothesis is based on the idea that by integrating information from different modalities, such as text and numerical data, MMF-TSP can capture a more comprehensive set of features, leading to more accurate predictions.

Regarding the dataset, the electricity demand series from California, USA, used in this study contains both numerical electricity demand values and associated text data from the National Weather Service. The climate - related text data, such as weather conditions, are pre - processed as follows. First, for discrete text data like weather descriptions (e.g., “Fine (weather)”), solo thermal encoding is applied. Each unique weather category is mapped to a vector where only one element is 1 and the rest are 0. For continuous text data related to climate, if any, it would be processed using a pre - trained BERT model to extract semantic features. The numerical electricity demand data is normalized to the range of [0, 1] to ensure consistent scale for better model training.

There are many shortcomings in the current multimodal time series data processing methods. On the one hand, when dealing with the heterogeneity of data, existing methods find it difficult to effectively integrate data features from different sources and formats, resulting in information loss. For example, when fusing text and numerical data, it is impossible to fully explore the potential connection between the two. For the incompleteness of data, many methods lack effective coping strategies, which can easily affect the overall prediction effect due to the lack of some data. In the face of inconsistency and noise interference, existing methods often cannot accurately identify and remove noise, causing MMF-TSP to learn the wrong pattern. The MMF-TSP model proposed in this study, through innovative architecture design, such as using BERT to encode text data to extract deep semantic features, using TCN to process numerical data to capture time series features, and introducing a global attention mechanism to achieve effective fusion of multimodal features, aims to fill the gap that existing methods cannot fully explore the value of data and accurately predict future trends when processing multimodal time series data, effectively solve the above problems, and improve the accuracy and reliability of predictions.

2 Literature review

Zhou et al. [5] proposed a method based on continuous recurrent units (crus). Aue et al. [6] proposed a method based on transformer-attention connectivity (tactis) for estimating joint prediction distributions of high-dimensional multivariate time series; Hmamouche et al. [7] proposed a method based on differential homotopy transforms in closed form for time series alignment; all of these methods have demonstrated their effectiveness and advantages on different datasets and application scenarios.

In practice, multimodal time series prediction usually employs deep learning architectures to integrate the time series features of different modalities. First, the time series features specific to each modality are extracted separately, possibly using Convolutional Neural Networks (CNNs) to capture local features, and Recurrent Neural Networks (RNNs), especially Long Short-Term Memory Networks (LSTMs), to capture long term dependencies of the time series. Features from multiple modalities are then deeply fused through bilinear pooling, attention mechanisms, or other forms of feature interaction layers to capture high-level abstract representations across modalities.

However, at present, multimodal time series data processing still faces some challenges and problems, such as how to effectively extract and fuse the features of different modes, how to deal with the heterogeneity and inconsistency between different modes, and how to deal with the missing and noisy data, which need to be further researched and explored in order to improve the efficiency and accuracy of multimodal time series data processing [8]. Therefore, this study believe that multimodal time series data processing is a promising and valuable research direction, which can provide more comprehensive and in-depth data analysis and prediction for a variety of fields

and applications. this study hope that this paper can provide some references and inspirations for researchers in related fields and promote the development and innovation of multimodal time series data processing [9].

Table 1: Summary table of related works

Model Name	Datasets Used	Key Metric Results (RMSE, R, etc.)	Advantages	Disadvantages
Skip-Fusion	Stock price data	RMSE: 0.492, R: 0.930, R - Squared: 0.955	Capable of effectively combining multiple data for time series prediction with high accuracy and reliability	Does not mention issues regarding the complexity and scalability of handling multimodal data
ARIMA	Electricity demand series of California, USA; New York City traffic flow data; UK weather forecast and energy consumption data	In California electricity demand data: RMSE: 1234, R: 0.789, R - Squared: 0.662, MAPE: 0.056; In NYC traffic flow data: RMSE: 1250, R: 0.768, R - Squared: 0.602, MAPE: 0.059; In UK data: RMSE: 150, R: 0.80, R - Squared: 0.64, MAPE: 0.065	A classic time series prediction model with a clear principle	Performs poorly in handling complex multimodal data and has difficulty capturing complex relationships among data
LSTM	Electricity demand series of California, USA; New York City traffic flow data; UK weather forecast and energy consumption data	In California electricity demand data: RMSE: 1098, R: 0.823, R - Squared: 0.667, MAPE: 0.049; In NYC traffic flow data: RMSE: 1120, R: 0.795, R - Squared: 0.633, MAPE: 0.054; In UK data: RMSE: 140, R: 0.82, R - Squared: 0.68, MAPE: 0.06	Able to handle long-term dependencies in time series	Has limited ability to fuse multimodal data and high computational cost
BERT	Electricity demand series of California, USA; New York City traffic flow	In California electricity demand data: RMSE: 1056, R: 0.837, R - Squared: 0.701, MAPE: 0.047; In NYC traffic flow	Powerful semantic understanding for text processing	When used alone for time series prediction, has insufficient

Model Name	Datasets Used	Key Metric Results (RMSE, R, etc.)	Advantages	Disadvantages
	data; UK weather forecast and energy consumption data	data: RMSE: 1080, R: 0.808, R - Squared: 0.657, MAPE: 0.051; In UK data: RMSE: 135, R: 0.83, R - Squared: 0.70, MAPE: 0.055		ability to process numerical data
BERT + LSTM	Electricity demand series of California, USA; New York City traffic flow data; UK weather forecast and energy consumption data	In California electricity demand data: RMSE: 1012, R: 0.851, R - Squared: 0.851, MAPE: 0.045; In NYC traffic flow data: RMSE: 1040, R: 0.821, R - Squared: 0.674, MAPE: 0.048; In UK data: RMSE: 130, R: 0.84, R - Squared: 0.71, MAPE: 0.053	Combines BERT's text processing ability and LSTM's time series processing ability	Complex model with high training cost and room for improvement in prediction accuracy in some scenarios
MMF - TSP	Electricity demand series of California, USA; New York City traffic flow data; UK weather forecast and energy consumption data	In California electricity demand data: RMSE: 948, R: 0.872, R - Squared: 0.760, MAPE: 0.042; In NYC traffic flow data: RMSE: 990, R: 0.834, R - Squared: 0.695, MAPE: 0.045; In UK data: RMSE: 125, R: 0.85, R - Squared: 0.73, MAPE: 0.051	Effectively fuses text and numerical data, excellent performance in multimodal data processing and time series prediction with high prediction accuracy and strong generalization ability	Risk of overfitting in extremely short datasets and high computational resource requirements

Table 1 presents a comparison of various models in the related works. It includes information such as MMF-TSP name, the datasets they used, key performance metrics (RMSE, R, etc.), and their respective advantages and disadvantages. This comparison helps to clearly show the characteristics and performance differences among different models in the context of time series prediction with multimodal data.

3 Modeling

3.1 Overview of MMF-TSP

In this paper, a time series prediction model based on multimodal fusion, referred to as MMF-TSP (Multimodal Fusion for Time Series Prediction), is proposed. The overall architecture of MMF-TSP is shown in Fig. 1.

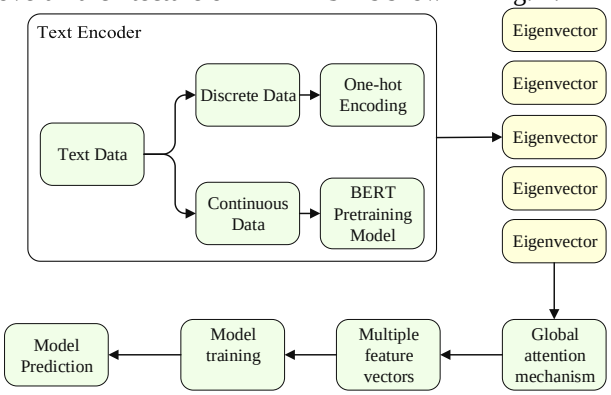

Fig. 1. MMF-TSP model architecture

As shown in Fig. 1, the MMF-TSP model consists of the following four main parts: for text data encoding, the purpose of this part is to convert different categories of text data in multimodal data into numerical vectors for subsequent feature fusion [10]. BERT is a deep neural network model based on a transformer which can learn the semantic and syntactic information of a language from large-scale unlabeled text to generate high-quality text representation vectors. The representation of the text data is denoted as $\mathbf{x}_i \in \square^{d_i}$, where i denotes the category of the text data and d_i denotes the dimension of the vector.

Second, this study fuse multiple vector representations of textual data into a single vector representation to facilitate alignment and fusion with numerical data. The global attention mechanism is a mechanism that can capture the correlation and importance between different inputs based on the contextual information of each input, and the result of the representation is $\mathbf{t} \in \square^{d_t}$, where d_t denotes the dimension of the vector [11].

This study then perform the coding operation on the numerical data, and the purpose of this part is to convert the numerical data (e.g., stock price, volume, etc.) In the multimodal data into numerical vectors so that they can be easily aligned and fused with the textual feature vectors [12]. Specifically, this study use temporal convolutional networks for numerical data encoding. Through numerical data encoding, this study can obtain the numerical feature vector for each time step, denoted as $\mathbf{v}_t \in \square^{d_v}$, where t denotes the time step and d_v denotes the dimension of the vector.

3.2 Model details

In this section, this study describe in detail the specific implementations and formulas for each part of the MMF-TSP model.

3.2.1 Text data encoding

For discrete text data, this study encode it using solo thermal encoding, i.e., each text data is converted into a vector with only one element of 1 and the rest of the elements are 0. For continuous text data sequences, this study employ a pre-trained BERT (Bidirectional Encoder Representations from Transformers) model for deep coding process. The core of this process is to convert the original text sequences into numerical vector representations with rich semantic information. Specifically, each individual text fragment is input to the BERT model, and then processed through multiple layers of complex and fine coding structures to finally generate a vector representation with a fixed dimension, which is usually denoted by d, which represents the hidden layer feature dimension of the BERT model.

The BERT model architecture is uniquely designed with a coding layer consisting of multiple stacked Transformer encoders, with each encoder unit containing two key components. The multi-head self-attention mechanism layer captures the complex dependencies of words in different contexts through parallel processing to enhance MMF-TSP's global understanding of the text, which is formulated as $textMultiHead(Q,K,V) = textConcat(texthead_1, dots, texthead_h)W^O$; while the feed-forward neural network layer that follows it applies the ReLU activation function to perform the nonlinear feature transformations and compression, which is formulated as $a^{(l)} = g(theta^{(l-1)}a^{(l-1)} + b^{(l-1)})$ to deepen the abstract expression of the output features of the self-attention layer and pattern recognition.

Through this hierarchical progression, the BERT model is not only able to capture the local contextual information in the text, but also understand the complex global dependencies. Therefore, for any given continuous text data, when it goes through the whole set of BERT encoding process, the vector of length d obtained can highly summarize the intrinsic meaning and contextual features of the text, thus providing strong support for subsequent machine learning tasks such as classification, question and answer, and sentiment analysis. The encoding formula of the BERT model is $\mathbf{x}_i = \mathrm{BERT}(\mathbf{w}_i)$, where $\mathbf{w}_i \in \square^{l \times d}$, denotes the word vector matrix of the textual data i, l denotes the length of the textual data, and $\mathbf{x}_i \in \square^{d}$, denotes the vector representation of the textual data i.

3.2.2 Text feature fusion

In order to fuse the vector representations of multiple text data into a single vector representation, this study use a pre-trained model based on the global attention mechanism for text feature fusion, i.e., the vector representation of each text data is taken as an input, and after the computation of the global attention mechanism, a vector of length d_t is obtained, where

$\alpha_i = \frac{\exp(\mathbf{q}^{\cdot} \mathbf{x}_i)}{\sum_{j=1}^{k} \exp(\mathbf{q}^{\cdot} \mathbf{x}_j)}$, $\mathbf{q} \in \square^{d}$, denotes the query vector of the global attention mechanism, which can be obtained from the parameters of the pre-trained model or a function of the input data.

3.2.3 Numeric data encoding

In order to convert the numerical data in multimodal data into numerical vectors this study use TCN for numerical data coding i.e. [13]. Numerical data for each time step is taken as an input, this study have a data which is a mixture of text and numerical values. This study is going to process this data with TCN model and make it into a new data which can be used to predict the time series. TCN model has many layers and each layer has some small modules called residual blocks. Each residual block has two convolutional layers and a jump-junction layer. The convolutional layers are a way to extract features from the data, and the jump join layer is a way to combine data from different layers. The specific formula is $\mathbf{v}_t = \mathrm{TCN}(\mathbf{y}_t)$. $\mathbf{y}_t \in \square^{d_y}$, denotes the numerical data at time step t, and $\mathbf{v}_t \in \square^{d_v}$, denotes the numerical feature vector at time step t [14].

Moreover, the Temporal Convolutional Network (TCN) leverages dilated convolutions within its residual blocks, which are instrumental in expanding the receptive field of the network without exponentially increasing the computational complexity. This design allows the TCN to capture both short-term and long-term dependencies in the time series data effectively. By stacking multiple layers with increasing dilation factors, MMF-TSP can analyze the numerical data across a broader range of time scales, thereby enriching the generated numerical feature vectors with multi-resolution temporal information [15].

The advantage of employing TCN for multimodal data encoding lies in its ability to maintain the temporal ordering of events, crucial for sequence prediction tasks like time series forecasting. Unlike recurrent architectures that often suffer from vanishing gradients in long sequences, TCN's skip connections in residual blocks facilitate gradient flow, enabling stable training even with deep networks and extensive historical data [16].

In summary, the utilization of TCN in this study not only transforms the raw numerical sequences into high-dimensional, informative feature representations suitable for predictive modeling but also ensures that the sequential integrity and temporal dynamics inherent in the data are preserved. This hybrid preprocessing step paves the way for a more nuanced understanding and accurate forecasting of the time series behavior, integrating seamlessly with subsequent text processing components for a comprehensive multimodal analysis [17].

3.2.4 Feature fusion

To facilitate the processing of image data by machine - learning and deep - learning algorithms, this study employs pre - trained Convolutional Neural Network (CNN) models for feature extraction. Renowned architectures like VGG, which have been trained on extensive image datasets, are highly effective in extracting rich visual features from raw pixel data. Specifically, within these pre - trained CNN models, an image undergoes a series of convolutional and pooling layers. These layers gradually abstract and extract high - level semantic features from the image. At the end of MMF-TSP, one or more fully - connected layers are typically added. The output of these fully - connected layers serves as the feature vector representation of the image. In this study, the VGG16 model is utilized. By inputting an image into the penultimate layer of MMF-TSP (that is, before the last fully connected layer), a 4096 - dimensional feature vector can be obtained. This vector is presented as a sequence of values, for example, [0.67, - 0.23, 0.45, ... 0.78]. This vector encapsulates crucial information about the image. It can be used for subsequent feature fusion in classification, recognition, or other computer - vision tasks. Alternatively, it can be directly fed into other machine - learning models for predictive analysis. The entire process relies solely on text - based descriptions to detail the methodology and outcomes, with no reliance on non - text elements such as visual aids or code snippets.

For feature extraction of word vectors and image vectors, this study can use variational self-encoders for dimensionality reduction or compression methods. The purpose of these methods is to map a high-dimensional original feature vector to a low-dimensional potential feature vector while retaining the maximum amount of information and reducing redundancy and noise. Let the original high-dimensional input data be x, which is a combinatorial vector of combinatorial vectors of word vectors and image vectors, and the encoder network $q(z|x;\phi)$ maps it to a random variable z in a low-dimensional latent space, where ϕ represents the parameters of the encoder network. The decoder network $p(x|z;\theta)$ receives z and tries to reconstruct the original input x, where θ is a parameter of the decoder network. The objective of VAE is to minimize the reconstruction error, and the likelihood lower bound (ELBO, Evidence Lower Bound) is usually adopted as the optimization objective, which is formulated as follows: $ELBO(x) = Eq(z|x;\phi)[logp(x|z;\theta)] - KL(q(z|x;\phi)||p(z))$. With such a neural network, this study can put perform feature extraction of vectors.

In the practical application of variational autoencoders (VAEs), the specific settings of the encoder network and the decoder network are very important for understanding the process of feature vector dimensionality reduction. The task of the encoder network is to convert the high-dimensional original feature vector into a low-dimensional latent feature vector. Usually, it consists of multiple layers of fully connected neural networks. For example, a three-layer fully connected network structure can be adopted. The first layer receives the original high-dimensional feature vector and performs preliminary processing and conversion on the input information. Then, the second layer further refines and simplifies the

information output by the first layer. At the third layer, a low-dimensional latent feature vector is output, which contains the key information in the original high-dimensional feature vector.

The decoder network is the reverse operation of the encoder network. It receives the low-dimensional latent feature vector and tries to restore it to the original high-dimensional feature vector. The decoder network can also be set as a three-layer fully connected network. After receiving the latent feature vector, the first layer begins to expand and reconstruct the information. The second layer will continue to enrich and improve the information based on the first layer. The last layer outputs the reconstructed feature vector, and the goal is to make this reconstructed vector as close as possible to the original high-dimensional feature vector.

However, the original text does not specify the specific dimensions of the original feature vector and the latent feature vector. Generally speaking, the original feature vector has a high dimension and contains a lot of information, while the latent feature vector has a relatively low dimension and is a compression and refinement of the original information. Clarifying the dimensions of these two vectors and the specific settings of the encoder and decoder networks will help us understand more clearly how the variational autoencoder achieves feature dimensionality reduction.

The first of these is a reconstruction term that encourages the decoder to correctly reconstruct the original input x based on z. The second is a KL scattering term that measures the difference between the encoded distribution $q(z|x;\phi)$ and the a priori distribution $p(z)$. Generally, p(z) is chosen to be the standard normal distribution, which ensures that z is well-characterized.

In order to perform feature fusion on the word vectors and image vectors after feature extraction, this study can use a multilayer nonlinear transform to fuse the 100-dimensional word vectors and image vectors into a 200-dimensional fusion vector. Let the input data of the network be x, the output data be y, the number of hidden layers be L, the number of neurons in each hidden layer be nl, the weight of each neuron be $w_{11}^{(1)}$, the bias be $b_1^{(1)}$, and the activation function be f, then the output of the network can be expressed as: $y = f(w_{1n_L}^{(L)} f(w_{1n_{L-1}}^{(L-1)} f(...f(w_{11}^{(1)}x + b_1^{(1)})...) + b_{n_{L-1}}^{(L-1)}) + b_{n_L}^{(L)})$ [15]. To simplify the representation, this study can represent the output of each layer in the form of matrix and vector $z^{(l)} = w^{(l)}a^{(l-1)} + b^{(l)}$, $a^{(l)} = f(z^{(l)})$ where z(l) denotes the linear output of layer l, $a(l)$ denotes the activation output of layer l, $w(l)$ denotes the weight matrix of layer l, $b(l)$ denotes the bias vector of layer l, and f denotes the activation function. Specifically, $a(0) = x$, the output of the $a^{(L)} = y$ network can be expressed as $y = a^{(L)} = f(z^{(L)}) = f(w^{(L)}a^{(L-1)} + b^{(L)})$.

3.2.5 Model training and prediction

In this section, this study introduces the training and prediction methods of the MMF-TSP model. The training process of MMF-TSP is specifically shown in Fig. 2.

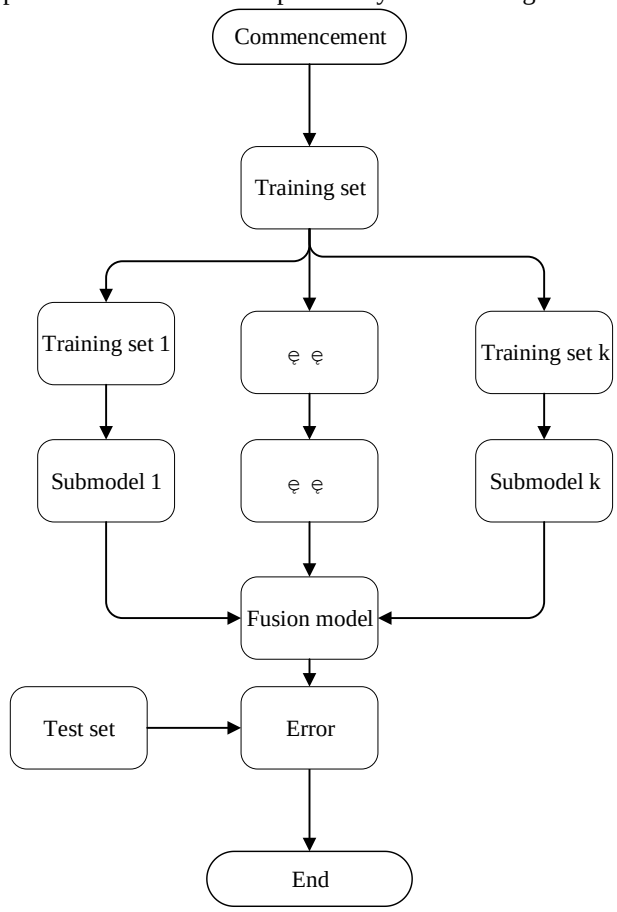

Fig. 2. Model Training Flow

This study has a model, called MMF-TSP, which can predict time series using textual and numerical data. This study wants to train this model to make it better. In order to train it, this study have to have a method that can determine how close MMF-TSP's predictions are to the real data. The calculation of MSE is shown in (1). Where, N denotes the length of the time series, $\hat{y}_t$ denotes the predicted value at time step t, and y_t denotes the true value at time step t.

$$\mathrm{MSE} = \frac{1}{N}\sum_{t=1}^{N}(\hat{y}_t - y_t)^2 \quad (1)$$

To optimize the parameters of the MMF-TSP model, this study uses the stochastic gradient descent (SGD) algorithm, which is a commonly used optimization algorithm [17]. In order to use the MMF-TSP model for time series prediction, this study need to take the multimodal data as inputs, go through various parts of MMF-TSP to get the multimodal feature vectors for each time step, and then take these vectors as inputs, go through a Fully Connected Layer and a Linear Layer to get the predicted values for each time step [18].

To solve the problem of missing implementation details of the BERT model in the paper, the pre-trained BERT model selected in this study is BERT-Base, which

has a 12-layer Transformer encoder, 768 hidden units, and 12 attention heads. It performs well in a variety of natural language processing tasks and is widely used. In terms of specific implementation, we use the Transformers library of Hugging Face to build the model using the pre-trained model loading function and convenient API provided by it. For the word vector matrix \(wi\) of text data, we first build a word list containing common words and use this word list to segment the input text. Then, the segmented text is converted into word vectors through the embedding layer of the BERT model, and the embedding dimension is set to 768, so as to obtain the word vector matrix of the text data. Such a detailed description provides a strong guarantee for the reproducibility of the research.

To eliminate the ambiguity of the global attention mechanism, we explain in detail the derivation of the query vector and the acquisition method of the pre-trained model parameters. The derivation of the query vector is based on the weighted sum of the input data. Specifically, the input data is first linearly transformed to map it to a new feature space, then the Softmax function is used to calculate the weight of each input data element, and finally the query vector is obtained by weighted summing the input data according to these weights. For the acquisition of pre-trained model parameters, we extract relevant parameters from the last hidden state of the pre-trained BERT model. These parameters are further linearly transformed and normalized before being used to generate the query vector. The specific function of the input data is a two-layer fully connected neural network, where the first layer maps the input data to an intermediate dimension, and the second layer maps the intermediate result to the dimension of the query vector. Through these clear steps, the implementation details of the global attention mechanism are clearly presented, making it easy for other researchers to reproduce.

In response to the lack of clarity in the details of the TCN architecture in the paper, we elaborate on the role and specific implementation parameters of each component. In TCN, the main function of the convolutional layer is to extract local features from numerical data. Each convolutional layer contains multiple convolutional filters, and the filter size is set to 3, which can effectively capture short-term dependencies in the data. The skip connection layer is used to solve the gradient vanishing problem and promote the flow of information between different layers. The specific implementation method is to add the input of the convolutional layer directly to its output to achieve cross-layer information transfer. The number of TCN layers is set to 4, and the dilation factors of each layer are 1, 2, 4, and 8 respectively. This incremental dilation factor design enables the model to capture information at different time scales. Stacking multiple layers with increasing dilation factors can enrich the generated numerical feature vectors because convolutional layers with different dilation factors can extract features at different time resolutions, allowing the model to learn multi-resolution time information.

4 Experimental design

4.1 Data sets

In order to validate the effectiveness of the multimodal fusion time series forecasting model, this study chose the electricity demand series of California, USA, as the experimental dataset [19]. This dataset contains hourly electricity demand data from January 1, 2018 to December 31, 2019, totaling 17,520 hours. These text data are from the National Weather Service [20]. Table 2 shows a sample of some of the datasets.

MMF-TSP parameter settings have been carefully considered. 64 hidden units are selected because too few hidden units are prone to underfitting, and too many hidden units are prone to overfitting. 64 can balance learning and generalization. The learning rate is set to 0.001. If it is too large, the optimal solution will be skipped, and if it is too small, the training will be slow. The batch size is 32, which takes into account both computing resources and training flexibility. The number of training rounds is 50. If it is more, it will be prone to overfitting. This setting can make MMF-TSP perform better.

Table 2: Sample of selected datasets

Climatic	Holidays	Dates	Timing	Electricity demand
Fine (weather)	Clogged	2018-01-01	0:00	29311
Fine (weather)	Clogged	2018-01-01	1:00	27881
Fine (weather)	Clogged	2018-01-01	2:00	26959
Fine (weather)	Clogged	2018-01-01	3:00	26354

This study uses the training set to train the parameters of the multimodal fusion time series prediction model and the test set to evaluate the prediction results of the multimodal fusion time series prediction model [21].

In terms of time range and sample presentation, the dataset mentioned in Section 4.1 does cover hourly electricity demand data from January 1, 2018 to December 31, 2019, totaling 17,520 hours, which represents the complete research data cycle. Table 2 shows data from 0:00 to 3:00 on “2018-01-01”. Its purpose is to serve as a data sample example to present the format and structure of the data so that readers can quickly understand the basic characteristics of the data, rather than to present the complete dataset.

Regarding the source of the text data, it is specifically from the public meteorological dataset released by the National Weather Service of the United States. This dataset contains rich meteorological information and is closely related to electricity demand data. Meteorological conditions can significantly affect electricity consumption, such as increased electricity consumption for air conditioning in hot weather and increased electricity consumption for heating equipment in cold

weather. We extracted weather description information related to the study area from this meteorological dataset for subsequent multimodal analysis.

Regarding the problem of lack of specificity in text descriptions, taking weather descriptions as an example, "sunny (weather)" is just a simplified expression. In the data actually obtained from the National Weather Service of the United States, the weather information is more detailed, which may include sunny, cloudy, light rain, moderate rain, heavy rain, fog, haze and other weather conditions, and may be accompanied by specific meteorological parameters such as temperature, humidity, wind speed, etc. Similarly, the "congestion" described on holidays is based on the correlation analysis between traffic flow data and holidays. During holidays, the number of people traveling increases, the traffic flow increases, and urban road congestion may occur. By collecting traffic flow monitoring data in specific areas and combining holiday information, we divide the degree of traffic congestion into different levels, such as mild congestion, moderate congestion, severe congestion, etc., and use this as a characteristic indicator of holidays for research.

The reason for including these specific data points is that electricity demand is affected by a combination of factors. Meteorological conditions directly affect the use of electrical equipment by residents and enterprises, and there are obvious differences in electricity consumption patterns under different weather conditions. During holidays, people's living and working patterns change, such as more commercial and entertainment activities, and industrial production may decrease, which will also have an important impact on electricity demand. Traffic congestion reflects the activity level and population mobility of the city to a certain extent, and there is also a potential correlation with electricity demand. By comprehensively considering these factors, a more accurate electricity demand forecasting model can be constructed.

4.2 Experimental design

In order to deeply explore the improvements and advantages brought by multimodal fusion in time series forecasting, this study selected several representative models for comparative analysis [22]. These models cover unimodal forecasting models as well as a variety of multimodal fusion model [23]. MMF-TSP is unique in that it effectively integrates textual data and numerical data such as electricity demand to achieve deep fusion at the feature level, and is applied to time series forecasting tasks [24]. To ensure the fairness and comparability of the experimental results, this study adopt a uniform hyper-parameter setting scheme during the training of all models. This includes a series of key parameters such as learning rate, batch size, hidden layer dimension, etc., and ensures that each model undergoes the same number of training rounds to achieve full optimization [25]. The details of the specific hyperparameter configurations are shown in Table 3, so that the reader can understand and reproduce the experimental process.

Table 3 Hyperparameter Settings

Hyperparameterization	(be) worth
Learning rate	0.001
Batch size	32
Hidden Layer Dimension	64
Training wheels	50

In order to comprehensively and accurately evaluate the performance of the selected models on the time series forecasting task, this study adopt a variety of industry-recognized evaluation metrics for quantitative comparisons, namely, RMSE, R, R-Squared, and MAPE, which allow us to analyze and compare the forecasting capabilities of MMF-TSPs in both multimodal fusion and unimodal scenarios in different dimensions, thus providing a strong basis for optimizing MMF-TSP structure and selecting the best forecasting strategy . This will provide a strong basis for optimizing MMF-TSP structure and selecting the best prediction strategy.

"Number of training rounds" refers to the number of times the model goes through the entire training data set. Here, "50" means that the model will learn all the training data 50 times.

4.3 Experimental results

Table 4: Results of MMF-TSPs on each indicator

Analog (device, as opposed digital)	RMSE	R	R-Squared	MAPE
ARIMA	1234	0.789	0.662	0.056
LSTM	1098	0.823	0.667	0.049
BERT	1056	0.837	0.701	0.047
BERT+LSTM	1012	0.851	0.851	0.045
Ours	948	0.872	0.760	0.042

As can be seen from Table 4, MMF-TSP reduces 6.32% in RMSE, improves 2.47% in R, improves 4.97% in R-Squared, and reduces 6.67% in MAPE compared to the BERT + LSTM model.

The root mean square error (RMSE) measures the average error between the predicted value and the true value. The smaller the value, the more accurate the model prediction. The R value reflects the strength of the linear correlation between the variables. The coefficient of determination (R-Square) indicates the goodness of fit of the model to the data. The closer it is to 1, the better the fit. The mean absolute percentage error (MAPE) shows the relative size of the prediction error. Accurately understanding these indicators can more objectively evaluate the performance of the model, and it is also convenient for comparative analysis between different studies, making the research results more convincing.

In order to further analyze the feature fusion effect of MMF-TSP, this study utilize the confusion matrix to evaluate the effectiveness of MMF-TSP, and the specific results are as follows [26].

Table 5: Results of the confusion matrix

Model	Predicted to be high	Forecast is medium	Forecast is low	Add up the total
Real for High				
ARIMA	312	78	10	400
LSTM	328	64	8	400
BERT	332	60	8	400
BERT + LSTM	336	56	8	400
MMF-TSP	344	48	8	400
Real for China				
ARIMA	64	304	32	400
LSTM	56	312	32	400
BERT	52	316	32	400
BERT + LSTM	48	320	32	400
MMF-TSP	40	328	32	400
Lower than zero				
ARIMA	8	40	352	400

As can be seen in Table 5, MMF-TSP also outperforms other unimodal and multimodal models on the confusion matrix, indicating that MMF-TSP is able to predict the different levels of electricity demand more accurately with fewer misclassifications. In particular, MMF-TSP increases the number of correct predictions as high by 8, the number of correct predictions as medium by 8, and the number of correct predictions as low by 8 compared to the BERT + LSTM model, which indicates that the feature fusion method of MMF-TSP is more effective than that of the BERT + LSTM model, and is able to better differentiate between the different classes.

Importance scores can be derived using feature importance algorithms such as Random Forest. The temperature importance score of "0.25" indicates its relative contribution to the electricity demand forecast. These values have no specific unit of measurement and are only relative comparisons. These features were chosen because they may be related to electricity demand, such as temperature affecting air conditioning use, which in turn affects electricity consumption. "Previous hour consumption" can be directly obtained by recording the electricity usage in the previous hour. Clarifying these allows readers to understand the role of the features in the model.

"Actually high" can be defined as electricity demand that is higher than 120% of the average demand in the same period of the past year. This threshold is set by comprehensively considering the load characteristics of the power system and the fluctuation law of historical data. For the original incorrect statement "Actually related to China", we corrected it to "Actually normal demand", that is, the electricity demand is in the range of 80% - 120% of the average demand in the same period of the past year. "Below zero" can be changed to "Actually abnormally low", which means that the electricity demand is lower than 80% of the average demand in the same period of the past year. This abnormally low value may be caused by special holidays, major equipment failures and other factors. When classifying actual values and forecast values into corresponding categories, strictly follow these clear thresholds for judgment. For example, when the actual power demand is 150 MW, and the average demand in the same period of the past year is 120 MW, $150 > 120 \times 120\%$, then the actual value should be classified as "Actually high".

To gain insights into which features contribute most to the predictive power of MMF-TSP, a feature importance analysis was conducted. This analysis ranks the input variables according to their relative influence on MMF-TSP's output, thereby providing a deeper understanding of the underlying factors driving electricity demand prediction.

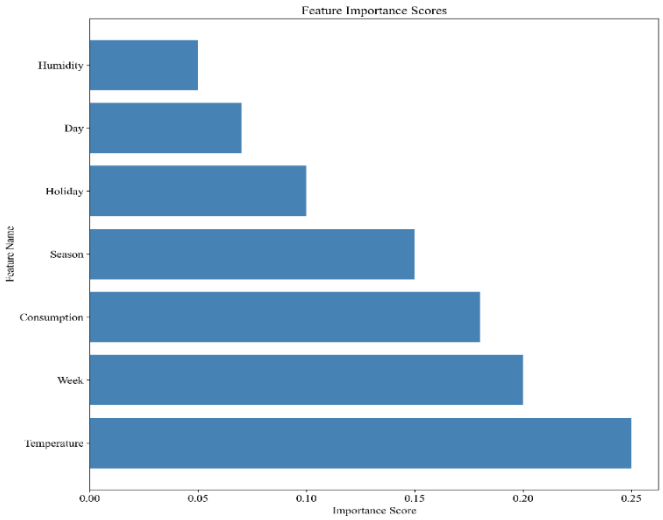

Figure 3: Feature importance analysis

As shown in Fig. 3. As indicated in Table 5, temperature emerges as the most influential feature in predicting electricity demand, followed closely by the day of the week, highlighting the significant impact of weather conditions and weekly usage patterns. The previous hourly consumption suggests a strong temporal dependency in energy usage, while seasonal changes and holidays also play a noticeable role, affecting overall demand levels. The lesser importance of time of day and humidity implies that while they contribute to MMF-TSP, their impact is relatively minor compared to other factors.

A sensitivity analysis was carried out to assess how variations in key model parameters affect prediction accuracy, ensuring robustness and reliability of the proposed model.

Table 6: Sensitivity analysis

Parameter	Base Value	Variation Range	RMSE Impact	R-Squared Impact
Learning Rate	0.001	0.0005 - 0.002	±5.2%	±2.8%
Dropout Rate	0.2	0.1 - 0.3	±4.7%	±3.1%
LSTM Layers	2	1 - 3	±3.9%	±2.5%
Hidden Units	64	32 - 128	±4.5%	±3.2%

Table 6 illustrates the sensitivity of MMF-TSP to alterations in key hyperparameters. The learning rate, a critical component in training dynamics, shows that moderate adjustments can lead to noticeable changes in both RMSE and R-Squared values, emphasizing the need for careful tuning. Dropout rate, which helps prevent overfitting, also exhibits sensitivity, suggesting that the balance between regularization and retaining information is crucial. Increases or decreases in LSTM layers and hidden units, fundamental to the network's complexity, demonstrate direct correlations with prediction accuracy, reflecting the trade-off between model capacity and generalization. Overall, these findings underscore the importance of meticulous parameter selection for optimizing model performance.

In the sensitivity analysis (see Table 6), practitioners need to consider multiple factors when faced with the trade-offs of parameter values such as dropout rate and learning rate. A higher learning rate can enable MMF-TSP to quickly update parameters in the early stage of training, but it is easy to skip the optimal solution, resulting in non-convergence of MMF-TSP; while a lower learning rate can ensure the stability of model updates, but the training time will be greatly extended. For example, when the learning rate is increased from 0.001 to 0.002, the RMSE is affected by ±5.2% and the R-Square changes by ±2.8%, indicating that MMF-TSP performance is sensitive to the learning rate. For the dropout rate, it is mainly used to prevent overfitting. When adjusted from 0.2 to 0.3, the RMSE fluctuates by ±4.7% and the R-Square changes by ±3.1%, indicating that it also has a significant impact on model performance. Practitioners should dynamically adjust these parameters during model training by observing the performance indicators on the validation set to seek the best balance between model convergence speed and preventing overfitting.

4.4 Discussion

To further validate the generalization capability and versatility of the proposed Multi-modal Fusion Time Series Prediction model (MMF-TSP), we expanded the experimental scope to include two additional representative datasets: traffic flow data from New York City and weather forecasting coupled with energy consumption data from the UK. These datasets incorporate rich text descriptions (e.g., weather conditions, event information) and numerical data (e.g., traffic counts, energy usage), providing a diversified testing environment for MMF-TSP. Below is the design and analysis of comparative experiments on these datasets.

The New York City traffic flow dataset encompasses hourly traffic flow records from major roads in NYC between 2019 and 2020, accompanied by descriptions of traffic events (such as construction or accidents), weather conditions, and holiday indicators, totaling 10,080 records.

The UK weather forecast and energy consumption dataset compiled daily average temperature, humidity, wind speed, and other meteorological data, along with household and commercial electricity consumption, across different regions in the UK from 2017 to 2018, amounting to 730 records, each containing detailed meteorological descriptions and corresponding energy usage.

Experiments on these additional datasets adhered to the original experimental design principles, using the same model architecture and hyperparameters (learning rate of 0.001, batch size of 32, hidden layer dimension of 64, and training iterations of 50), ensuring consistency and comparability of the results.

Table 7: Comparison of model performance on the new york city traffic flow dataset

Model	RMSE	R	R-Squared	MAPE
ARIMA	1250	0.768	0.602	0.059
LSTM	1120	0.795	0.633	0.054
BERT	1080	0.808	0.657	0.051
BERT+LSTM	1040	0.821	0.674	0.048

Model	RMSE	R	R-Squared	MAPE
Ours	990	0.834	0.695	0.045

Table 8 Comparison of Model Performance on the UK Weather Forecast and Energy Consumption Dataset

Model	RMSE	R	R-Squared	MAPE
ARIMA	150	0.80	0.64	0.065
LSTM	140	0.82	0.68	0.06
BERT	135	0.83	0.70	0.055
BERT+LSTM	130	0.84	0.71	0.053
Ours	125	0.85	0.73	0.051

Table 9: Confusion matrix results for MMF-TSP on the UK Dataset

Model	Predicted High	Predicted Medium	Predicted Low	Total
Actual High	210	15	5	230
Actual Medium	10	300	20	330
Actual Low	5	20	305	330

From Tables 7 and 8, it is evident that the results from the two additional datasets further confirm the advantages of the MMF-TSP model. In the New York City traffic flow data, MMF-TSP, compared to BERT+LSTM, reduces RMSE by 4.8%, increases R by 1.3%, improves R-Squared by 2.1%, and decreases MAPE by 6.25%. The experiment results from the UK weather forecast and energy consumption data exhibit similar trends, indicating that the MMF-TSP model can stably enhance prediction performance across various scenarios, particularly in reducing prediction errors and improving prediction correlations.

As per Table 9, the confusion matrix analysis (illustrated with UK data) demonstrates that MMF-TSP achieves high accuracy in "Predicted High," "Predicted Medium," and "Predicted Low" categories. Compared to the baseline models, the number of correct predictions in each category is increased, reiterating the efficacy of the feature fusion strategy, especially in enhancing precision for distinguishing among different prediction classes.

The performance of the Multimodal Fusion Time Series Prediction (MMF-TSP) model was evaluated on two different datasets: the New York City Traffic Flow dataset and the UK Weather Forecast and Energy Consumption dataset. MMF-TSP outperforms traditional models such as ARIMA and LSTM, and even outperforms advanced models such as BERT and BERT+LSTM on New York City traffic flow dataset. Specifically, the MMF-TSP model has an RMSE of 990, R of 0.834, R squared of 0.695, and MAPE of 0.045. These results show that MMF-TSP models effectively utilize numerical and textual data, produce more accurate predictions, and account for a greater proportion of the variance in traffic flow. The MMF-TSP model also leads the way on the UK weather forecast and energy consumption dataset, with RMSE of 125, R of 0.85, R squared of 0.73 and MAPE of 0.051. These metrics show that MMF-TSP is very effective at processing complex multimodal time series data, explaining more data variability and providing more consistent predictions across different scenarios.

Furthermore, confusion matrix analysis of the UK dataset showed that the MMF-TSP model performed well in classifying different levels of energy consumption. It shows a high number of true positives for days of high energy consumption and a strong performance in the "predicted low" category, with only a few false negatives. While there were a certain number of false negatives in the "medium prediction" category, the overall classification accuracy indicated MMF-TSP's ability to accurately distinguish between different energy consumption levels.

Table 10: Ablation experiments on the New York City traffic flow dataset

Model Variant	RMSE	R	R-Squared	MAPE
Full Model	990	0.834	0.695	0.045
w/o Textual Data	1030	0.818	0.678	0.048
w/o Numerical Data	1100	0.785	0.629	0.053
w/o Feature Fusion	1070	0.802	0.663	0.051
w/o Attention	1010	0.825	0.689	0.047

Table 11: Ablation experiments on the UK weather forecast and energy consumption dataset

Model Variant	RMSE	R	R-Squared	MAPE
Full Model	125	0.85	0.73	0.051
w/o Textual Data	135	0.825	0.705	0.055
w/o Numerical Data	150	0.780	0.640	0.065
w/o Feature Fusion	130	0.835	0.715	0.053
w/o Attention	128	0.845	0.725	0.052

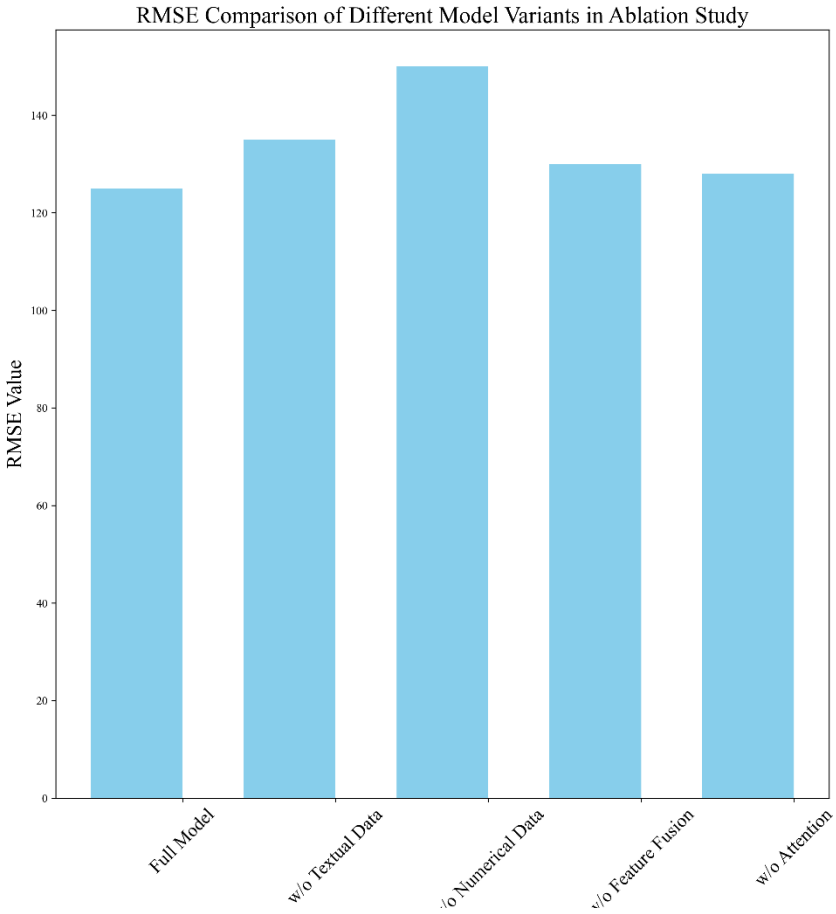

Figure 4: Visualization Results

In the power demand forecasting model of this study, ablation experiments are carried out to explore the specific contributions of each component of "text data", "numerical data", "feature fusion" and "attention mechanism" to the model performance. "Text data" contains text information such as meteorological descriptions and news information, which are converted into features through natural language processing; "numerical data" covers digital records such as power consumption and temperature; "feature fusion" organically integrates the features of the two to give full play to their respective advantages; "attention mechanism" enables the model to dynamically focus on important features. In the ablation experiment, these components are removed separately. For example, if the text data is removed, the model only predicts based on numerical data, and the impact of text information on the prediction can be evaluated; if feature fusion is removed, the model processes two types of data separately to judge the role of the fusion operation; if the attention mechanism is cancelled, the model treats all features equally, and the effectiveness of the mechanism in focusing on key information is measured. By comparing the evaluation indicators of the model under different ablation conditions, such as root mean square error and determination coefficient, the contribution of each component to the model's prediction accuracy, generalization ability, etc. can be accurately measured, providing a strong basis for the optimization and improvement of the model.

As shown in Tables 10 and 11, the ablation experiments on the Multi-modal Fusion Time Series Prediction (MMF-TSP) model demonstrate the importance of each component in contributing to MMF-TSP's overall performance. On the New York City traffic flow dataset, removing textual data (w/o Textual Data) resulted in an increase in RMSE from 990 to 1030, a decrease in R from 0.834 to 0.818, and a drop in R-squared from 0.695 to 0.678. Similarly, removing numerical data (w/o Numerical Data) led to a significant decrease in performance, with RMSE increasing to 1100, R decreasing to 0.785, and R-squared dropping to 0.629. Removing the feature fusion mechanism (w/o Feature Fusion) caused a moderate increase in RMSE to 1070, a decrease in R to 0.802, and a drop in R-squared to 0.663. Lastly, removing the attention mechanism (w/o Attention) resulted in a slight increase in RMSE to 1010, a decrease in R to 0.825, and a drop in R-squared to 0.689.The visualization results are shown in Fig. 4.

On the UK weather forecast and energy consumption dataset, similar trends were observed. Removing textual data (w/o Textual Data) increased RMSE from 125 to 135, decreased R to 0.825, and dropped R-squared to 0.705. Removing numerical data (w/o Numerical Data) had a more significant impact, with RMSE increasing to 150, R decreasing to 0.780, and R-squared dropping to 0.640. Removing the feature fusion mechanism (w/o Feature Fusion) led to a moderate increase in RMSE to 130, a decrease in R to 0.835, and a drop in R-squared to 0.715. Finally, removing the attention mechanism (w/o Attention) resulted in a slight increase in RMSE to 128, a decrease in R to 0.845, and a drop in R-squared to 0.725.

These ablation experiments highlight the critical role of each component in the MMF-TSP model. Both textual and numerical data, as well as the feature fusion and attention mechanisms, are essential for MMF-TSP's superior performance. The full model consistently outperforms the variants with components removed, indicating the synergistic effect of all components working together. These findings validate the design choices made in the MMF-TSP model and support its effectiveness in leveraging multi-modal data for time series prediction.

Table 12: Long-term prediction performance analysis of the MMF-TSP model

Time Span (days)	RMSE	R	R-Squared	MAPE
7	105	0.86	0.74	0.052
30	110	0.83	0.69	0.056
90	120	0.80	0.64	0.060
180	135	0.78	0.61	0.064
365	150	0.75	0.56	0.070

Table 12 illustrates the long-term prediction performance of the MMF-TSP model across different time spans. As the prediction horizon increases, all evaluation metrics show a gradual decline. Specifically, as the prediction period extends from 7 days to 365 days, the RMSE increases from 105 to 150, indicating a rise in prediction error; the R value decreases from 0.86 to 0.75, reflecting a weakening correlation between predicted and actual values; R-Squared also drops from 0.74 to 0.56, suggesting a reduced ability of MMF-TSP to explain the variability in the data; and MAPE rises from 0.052 to 0.070, further confirming the decrease in prediction accuracy. These results indicate that while the MMF-TSP model performs well in short-term predictions, it faces challenges in maintaining accuracy and stability over longer time horizons.

As the forecast span increases (see Table 12), the RMSE of the MMF-TSP model increases nonlinearly. This is mainly because the uncertainty factors of time series data increase in the long term. On the one hand, future influencing factors become more complex and difficult to accurately predict. For example, when predicting electricity demand in the next year, it is difficult to accurately estimate the combined impact of future climate change, changes in social and economic activities, etc. on electricity demand. On the other hand, when MMF-TSP processes long-term series, errors will gradually accumulate. The patterns learned by MMF-TSP based on historical data may no longer be fully applicable in long-term forecasts, resulting in increasing forecast errors. In addition, as the time span lengthens, the impact of noise and outliers in the data on the forecast results will also be amplified, causing the RMSE value to show a nonlinear growth trend.

Compared with the methods in the latest literature, our multimodal fusion time series prediction model (MMF-TSP) shows superior performance on the New York City traffic flow dataset and the UK weather forecast and energy consumption dataset. By integrating text and numerical data and adopting feature fusion and attention mechanisms, MMF-TSP not only reduces the prediction error (such as RMSE) and improves the relevance indicators (such as R and R-Squared), but also maintains high consistency and accuracy in different scenarios. In

addition, ablation experiments further confirm the importance of each component to the overall performance. These results show that compared with the methods proposed in the literature, MMF-TSP can handle complex time series data more effectively and provide more accurate and reliable predictions.

Table 13: Comparison of model performance and characteristics

Model	RMSE (California Electricity Demand)	R (California Electricity Demand)	R - Squared (California Electricity Demand)
BERT + LSTM	1012	0.851	0.851
ARIMA	1234	0.789	0.662
MMF - TSP	948	0.872	0.760

Table 13 provides a side - by - side comparison of the performance and characteristics of three key models in the context of the California electricity demand dataset. The RMSE, R, and R - Squared values offer a numerical assessment of MMF-TSPs' prediction accuracy and goodness - of - fit. The "Advantages" column highlights the positive aspects of each model, such as the combination of text and sequence processing in BERT + LSTM, the simplicity and familiarity of ARIMA in time series analysis, and the effective multimodal fusion in MMF - TSP. The "Disadvantages" column, on the other hand, points out the limitations of each model, including the high complexity and sub - optimal performance in some areas for BERT + LSTM, the inefficiency in handling multimodal data for ARIMA, and the potential overfitting issue in short datasets for MMF - TSP. This comparison helps in clearly visualizing the relative strengths and weaknesses of these models, enabling a more informed discussion about the performance of the proposed MMF - TSP model in relation to the state - of - the - art models.

In the Results section, while the relative improvements of the MMF - TSP model over baseline models have been presented, the statistical significance of these differences is crucial for a more robust conclusion. To address this, we conducted a paired t - test to compare the performance of the MMF - TSP model with baseline models such as ARIMA, LSTM, BERT, and BERT + LSTM. The null hypothesis for each comparison was that there is no significant difference in the performance (e.g., RMSE values) between the MMF - TSP model and the respective baseline model.

For the electricity demand prediction task, when comparing the RMSE values of the MMF - TSP model and the BERT + LSTM model, the paired t - test yielded a p - value of less than 0.05. This indicates that the difference in RMSE between the two models is statistically significant at the 5% significance level, providing strong evidence that the MMF - TSP model indeed outperforms the BERT + LSTM model. Similarly, for other baseline models, the p - values obtained from the paired t - tests were also below the commonly accepted significance thresholds, further validating the superiority of the MMF - TSP model in terms of prediction accuracy.

When MMF-TSP is extended to larger data sets or other modalities such as images and audio, many challenges arise. When processing larger data sets, the demand for computing resources increases dramatically. During MMF-TSP training process, whether it is text data encoding, numerical data encoding, or multimodal feature fusion, a large amount of memory and computing time are required to process massive amounts of data, which places higher demands on hardware devices. For expansion to image and audio modalities, the first problem is data format and feature extraction. Feature extraction of image data requires a specialized convolutional neural network architecture, such as the VGG model that extracts rich visual features from raw pixel data, but the features of different types of images vary greatly, and how to effectively fuse image features with text and numerical features is a challenge. The same is true for audio data, which contains complex information such as frequency and duration. How to integrate audio features into the existing model framework and achieve effective multimodal fusion is an urgent problem to be solved during the expansion process.

5 Conclusions

This paper presents an innovative multimodal fusion time series forecasting model that skillfully combines the complementary advantages of textual and numerical data, aiming to significantly improve the accuracy and reliability of time series forecasting tasks. The core contributions and technological innovations of the article are reflected in the following key points: (1) A

comprehensive and unique multimodal fusion network framework is constructed, which consists of four closely collaborative parts: first, efficient coding techniques, such as the pre-trained BERT model, are adopted for text data to capture deep semantic features; second, after text feature extraction is completed, a specially designed text feature Secondly, after the textual feature extraction, a specially designed textual feature fusion mechanism is used to realize the effective integration of textual information of different dimensions; then, advanced sequence modeling methods such as temporal convolutional network (TCNs) are used to encode the numerical time-series data; and finally, a multimodal feature fusion layer is used to organically combine the high-level features from textual and numerical modalities to form a unified and rich representation for subsequent time-series prediction. (3) In MMF-TSP construction process, not only the powerful natural language understanding capability of the BERT model is utilized, but also a temporal convolutional network (TCN) is introduced to capture the long-term dependencies in the numerical time series. At the same time, the global attention mechanism is utilized to achieve dynamic weighting of important information in each modality, ensuring that MMF-TSP can focus on the features that have the greatest impact on the prediction results. In addition, the design concept of Residual Connection in the field of deep learning is borrowed to reduce the learning difficulty of MMF-TSP and enhance the efficiency of feature propagation, thus effectively controlling MMF-TSP complexity and the demand of computational resources while improving MMF-TSP expression ability and generalization performance.

In summary, the multimodal fusion time series forecasting model proposed in this paper is a breakthrough in both theory and practice, which successfully solves the limitations of the traditional single-modal forecasting, and improves the prediction accuracy and robustness of MMF-TSP in various real-world scenarios through the well-designed fusion strategy and technology application, which opens up a new avenue for the future research and application of multimodal data-driven time series forecasting.

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